

Overview: Transfer Pricing

- Framework and Economic Principles
- Cases Considered
 - No outside market for upstream good
 - Competitive outside market for upstream good
 - Market power in outside market for upstream good
 - Tax considerations
- Vertical Integration

Decision Making in a Large Firm

- Large firms comprised of divisions (small internal firms), each operating relatively independently
- How can efficient allocation of inputs/outputs across divisions be achieved?
 - **Centralization** : Dictate all quantities & transfers
Problem : communication is often prohibitive.
 - **Decentralization** : Let divisions decide on quantities and prices
Problem : how to make sure local units make decisions that maximize total profits?

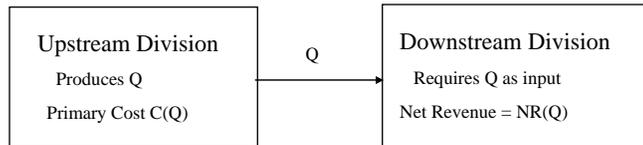
Adam Smith and Alfred Sloan

- Adam Smith's great insight:
 - given proper incentives, each individual pursuing his or her self interest maximizes the performance of the economy.
 - under certain conditions, market prices provide efficient incentives
- Alfred Sloan used this insight as a principle of organization within a firm
 - Divide into divisions (“profit centers”)
 - Each division maximizes profits

Transfer Pricing in a Large Firm

- Each division decides on its own production and on its own pricing for external parties, but is also responsible for its own profits.
- Terminology : P&L responsibility, BU's, profit centers
- This requires a way to value internal transfers (Transfer Pricing) such that divisional profit maximization implies firm profit maximization
 - Prices set by top management
 - Issues

Optimal Transfers



- $NR(Q)$ is revenue from Q less cost of processing Q (in downstream division)
- Profits of the firm, in terms of Q , are $\Pi = NR(Q) - C(Q)$
- What is the profit maximizing level of Q ? (Drum roll ...)

$$MC(Q) = NMR(Q)$$

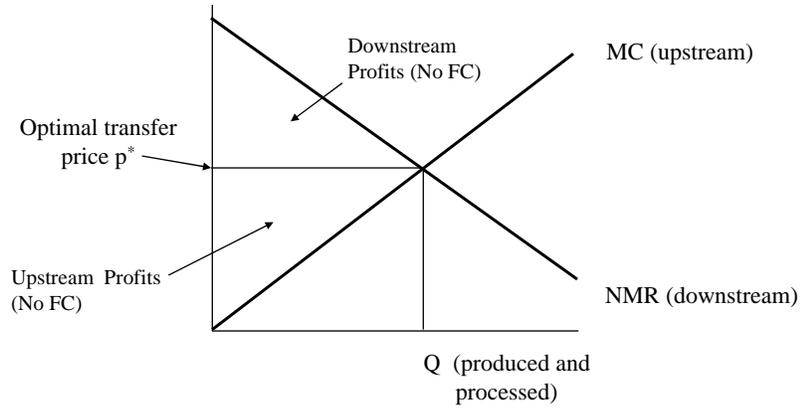
Divisional Profit Maximization

- Q is priced at p for internal transfers.
- Upstream Division:
 - Revenues = $p Q_u$, Costs = $C(Q_u)$
 - (Internal) Profits $\Pi_u = pQ_u - C(Q_u)$
 - Maximizing: Produce Q_u such that $p = MC(Q_u)$
- Downstream Division:
 - Revenues = $NR(Q_d)$, Costs = $p Q_d$
 - (Internal) Profits $\Pi_d = NR(Q_d) - pQ_d$
 - Maximizing: Order Q_d such that $p = NMR(Q_d)$

Setting the Transfer Price

- Optimal Transfer Price:
 p^* such that $Q_d = Q_u$
- We have $p^* = MC(Q_u) = NMR(Q_d)$
 - If wrong transfer price set, either
 - $Q_d > Q_u$ (shortage of input)
 - $Q_d < Q_u$ (surplus of input)
 - Much easier to set transfer price with competitive outside markets (follows after example)

Graphically



Internal Optimal Transfer Pricing (No Outside Market)

Example: Firm makes chips & computers (e.g. Apple and the 3 GHz chip)

- Upstream division makes chips
- Downstream divisions assembles computers
- Data:
 - **Upstream: Chip Manufacturing Plant: Q is # of chips in thousands**
 - Total Costs: $TC_u = Q^2 \implies MC_u = 2Q$
 - **Downstream: Computer Manufacture**
 - Need one chip per machine (Q also represents # computers)
 - Demand: $P = 4000 - 4Q$ (Firm monopolizes their demand)
 - Assembly Costs (all costs except the chip) = $1500Q$:
 $\implies MC^a = 1500$

Example: continued

- NMR is “Demand for Chips” from downstream division
 - $R = PQ = (4000 - 4Q)Q$
 - $NR = (P - MC_a)Q = (2500 - 4Q)Q$
 - $NMR = 2500 - 8Q$
- Optimal chip production has $NMR = MC_u$
 - $NMR = 2500 - 8Q = 2Q = MC_u$
 - $2500 = 10Q$
 - $Q = 250$
- Transfer Price: $p = 2(250) = 500$ (= MC_u)

Example: continued

- Profits:

$$\text{Upstream Division: } pQ - TC_u = 500(250) - (250)^2 = 62.5 \text{ m}$$

$$\text{Downstream Div: } NR - pQ = 1500(250) - 500(250) = 250.0 \text{ m}$$

$$\text{Total Company Profits} = 62.5 \text{ m} + 250 \text{ m} = 312.5 \text{ m}$$

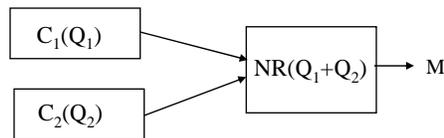
(Note how transfer revenue/cost cancels out)

Various Issues

- If there are many divisions, do we need new principles for transfer pricing?
- What if there are outside sources of the chip?
- Why does each division's internal "profit" matter?
- Are there tax considerations?
- Does market power matter?

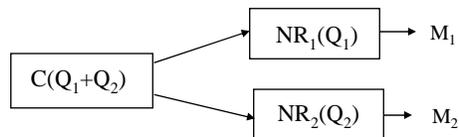
Multiple Sources or Uses

1. Multiple Sources:



Optimal Transfer Price: $p^* = MC_1(Q_1) = MC_2(Q_2) = NMR(Q_1+Q_2)$

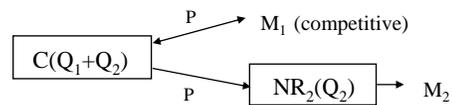
2. Multiple Uses:



Optimal Transfer Price: $p^* = NMR_1(Q_1) = NMR_2(Q_2) = MC(Q_1+Q_2)$

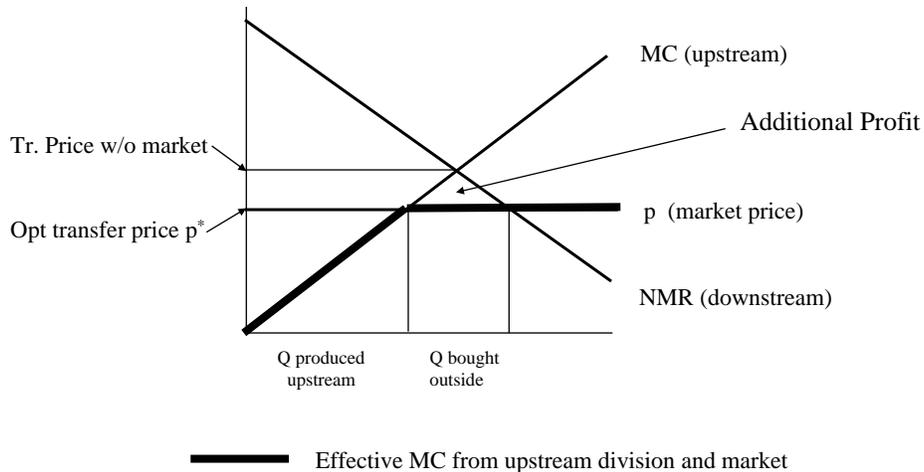
Application: Competitive Outside Market

- Competitive Outside Market
 - You can buy Q at price p (market is a source)
 - You can sell Q at price p (market is a use)
 - Set transfer price $p^* = p$, market price



- Easiest Case: No calculation required
 - Transfer price = market price (end of story)

Graphically



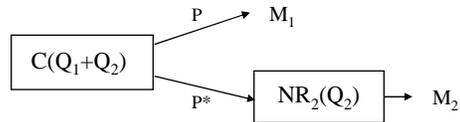
Back to the Example

Suppose there is a substitute chip available for \$ 350

- So Set transfer price $p = 350$
- Upstream (chip) division produces so that
 $p = MC_u$, or $350 = 2Q$, or $Q = 175$
- Downstream (computer) division orders chips until
 $p = NMR$, or $350 = 2500 - 8Q$, or $Q = 268.75$
- So, 175 (thousand) produced, 93.75 purchased outside,
 268.75 computers made.
- Profits = $NR(268.75) - TC(175) - 350(93.75) = 319.5$ m
- Note: 319.5 m $>$ 312.5 m ; 7 m additional profit

Application: Outside Market Power

- You monopolize an outside market for intermediate product (M_1)

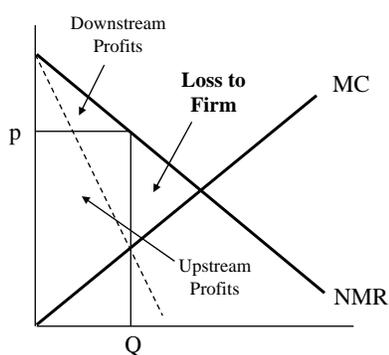


- With market power, $p^* = MR_{\text{outside}} < AR_{\text{outside}}$
 $\Rightarrow p^* < p$, the outside market price for intermediate product
- Summary: Transfer at MC; the outside market price p is higher than transfer price p^* .

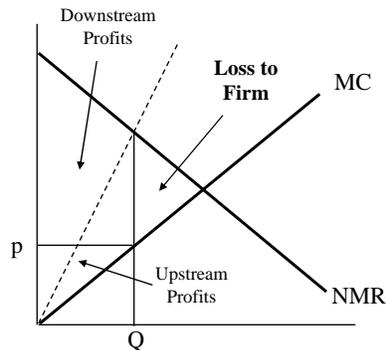
Divisional Profits and Evaluation

- Internal Profits add to Firm Profits
- Are division profits useful for evaluating performance?
 - It depends: Can reflect efficiency gains in production
 - Yes, with outside competitive market
- Raises bargaining issues for prices
 - Increased p raises upstream profits, lowers downstream profits
 - This is one reason p is set by top management
- If a division can set p , losses typically result
 - Double Marginalization

Double Marginalization



Upstream Division Sets
Transfer Price



Downstream Division Sets
Transfer Price

Back to Example

Suppose Upstream (chip) division sets price.

- NMR is “Demand for Chips” from downstream division
 $NMR = 2500 - 8Q$, so Chip Revenue = $CR = (2500 - 8Q)Q$
- Upstream Profit Max: produce chips until $MCR = MC_u$
 $MCR = 2500 - 16Q = 2Q = MC_u$
 $2500 = 18Q$
 $Q = 138.9$, Transfer Price = $2500 - 8(138.9) = 1388.9$
- Profits:
 - Upstream Division: $pQ - TC_u = 173.7 \text{ m} > 62.5 \text{ m}$
 - Downstream Division: $NR - pQ = 77.1 \text{ m} < 250 \text{ m}$
 - Total Company Profits = $173.1 \text{ m} + 77.1 \text{ m} = 250.8 \text{ m} < 312.5 \text{ m}$
- 61.7 m lost due to bad management of transfers

Tax Avoidance

- Suppose your divisions are located in different countries, with different tax rates.
- Separate books for taxes and for management
 - Legal limits on what can be reported for taxes
- Can adjust transfer prices to “move” profits from high tax countries to low tax countries
 - WSJ article for many examples

Tax Avoidance

- High tax for downstream division suggests raising transfer price, raising downstream costs and lowering downstream profits
- With common books, tradeoff between efficient production and tax avoidance

Notes on Vertical Integration

- Wrong arguments for vertical integration
- Reasons for vertical integration
- Costs of vertical integration

Wrong Arguments for VI

- Capture profits of suppliers
 - Need compensation for extra UCC
 - Future economic profits will be reflected in acquisition price
- Protect against price rises
 - Price rises are reflected in opportunity cost

Reasons for Vertical Integration

- Transaction cost economics (TCE)
- Hold-up
- Externalities and synergies
- Information flows stay within the firm
- Ability to decide on incentives
- Price discrimination

Costs of Vertical Integration

- Market discipline (competition) gives strong incentives.
- Non-integration maximizes flexibility and improves matching.

Take Away Points

- Transfer pricing brings the market in the firm and allows the creation of profit centers.
- The optimal transfer price equals the marginal cost.
- With competitive outside market, transfer price equals market price.
- Transfer prices have tax implications. Separate tax and internal books are typical.
- Integration is a complex trade-off. Always consider contracting as an alternative.