

Overview: Market Power

- Competitive Equilibrium
- Profit Maximization
- Monopoly
 - Output and Price Analytics
- Coordination of Multiple Plants
- Pricing with Learning Effects and Network Externalities

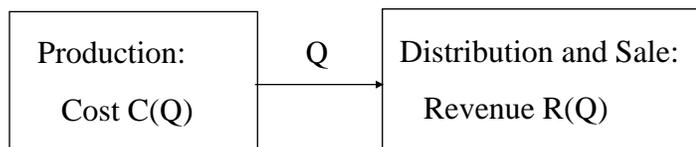
Competitive Equilibrium

- Mechanism of Competitive Equilibrium
 - Demand Growth
 - Higher prices stimulate more supply from existing firms
 - Emergence of profits causes entry/expansion of capacity
 - Demand shortfall
 - Lower prices cause cutbacks in in supply from existing firms
 - Losses (negative profits) cause exit/contraction of capacity
 - Processes continue until economic profits return to 0

Market Power

- Ability to raise price above costs and make sustainable profits
 - *Economic* costs and *economic* profits
- Requires that the mechanism of competition fails to operate
 - Barriers to entry
 - Sufficient product differentiation (that cannot be copied)
 - Secret technology - No information on profitability
 - Market too small relative to efficient production scale

Profit Maximization



How do you maximize profit

$$\Pi = R - C \quad ?$$

(drum roll)

Pick Q such that $MR = MC$

Monopoly: Price and Output Analytics

- Focus on monopoly, the simplest case of market power
- Suppose we have

$$\text{Demand: } Q = 100 - P$$

$$\text{Costs: } MC = AC = 10$$

Direct Monopoly Solution

$$\text{Demand: } Q = 100 - P \quad \text{implies that}$$

$$\text{Revenue: } R = PQ = (100 - Q) Q$$

$$MC = AC = 10 \text{ implies that costs are } C = 10 Q$$

$$\begin{aligned} \text{Profit: } \Pi &= R - C \\ &= (100 - Q) Q - 10 Q \\ &= (100Q - Q^2) - 10Q \end{aligned}$$

Want to find Q (or P) that maximizes Π .

Direct Monopoly Solution

Profit: $\Pi = (100Q - Q^2) - 10Q$

Take derivative:

$$\begin{aligned}d\Pi/dQ &= (100 - 2Q) - 10 \\ &= MR - MC\end{aligned}$$

Profits are maximized where $d\Pi/dQ = 0$

$$0 = (100 - 2Q) - 10 \quad (= MR - MC)$$

$$Q = 45$$

With price

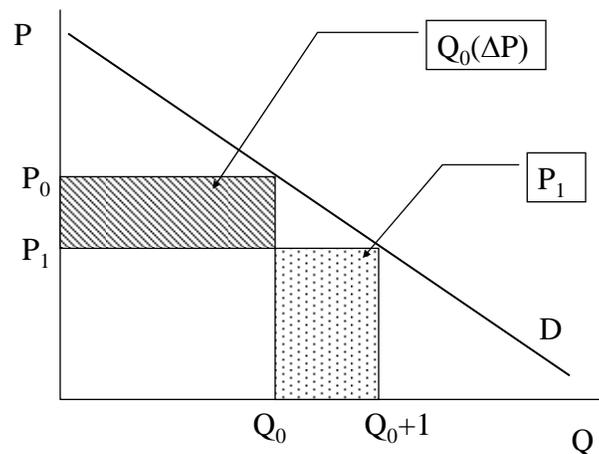
$$P = 100 - Q = 55$$

MR in Detail

Approximate MR as ΔR from selling one more unit
i.e., compare selling Q_0 at P_0 with selling $Q_1 = (Q_0+1)$ at
 P_1 [with $P_1 \leq P_0$]

$$\begin{aligned} \text{MR} &= R_1 - R_0 = P_1 Q_1 - P_0 Q_0 \\ &= P_1(Q_1 - Q_0) + Q_0(P_1 - P_0) \\ &= P_1 + Q_0 \Delta P \end{aligned}$$

MR in Pictures



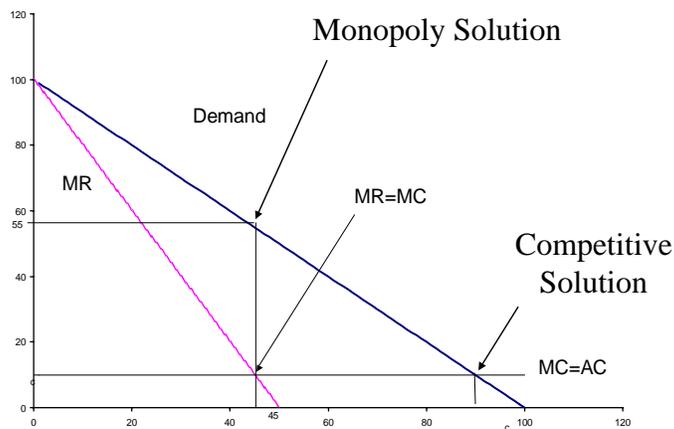
MR, Calculus Version

$$R = P(Q)Q$$

$$MR = \frac{dR}{dQ} = P + Q \frac{dP}{dQ}$$

(Compare to $MR = P_1 + Q_0 \Delta P$)

The Monopoly Picture



The Mark-Up Formula

$$MR = P + Q \frac{dP}{dQ} = P \left(1 + \frac{Q}{P} \frac{dP}{dQ} \right) = P \left(1 + \frac{1}{\varepsilon} \right)$$

At a maximum of profits, we have $MR = MC$, so

$$MC = P \left(1 + \frac{1}{\varepsilon} \right)$$

Or, rearranging terms,

$$\frac{P - MC}{P} = -\frac{1}{\varepsilon} \quad \varepsilon \text{ is the price elasticity of demand}$$

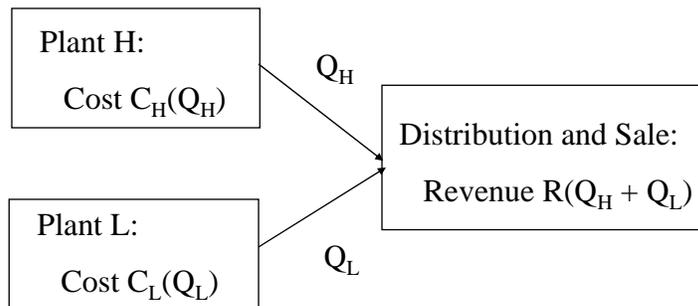
Example: Supermarkets and Convenience Stores

- Supermarkets: $\varepsilon \approx -10$
 $(P-MC)/P = .1$, 10% markup
- Small convenience stores: $\varepsilon \approx -5$
 $(P-MC)/P = .2$, 20% markup
- Which do you expect to show higher profits?

Example: Drug pricing

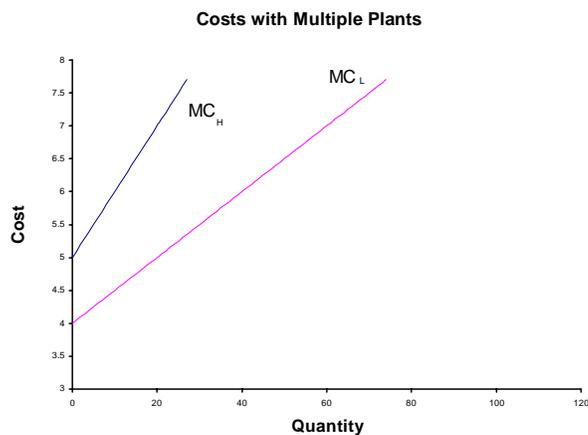
- Elasticity estimates often are near -1.0
- If elasticity is -1.1, then
 $(P-MC)/P = .9$; 90% markup
- e.g. Tagamet monopoly, elasticity is -1.7
 $(P-MC)/P = .58$; 58% markup

Multi-plant Firms

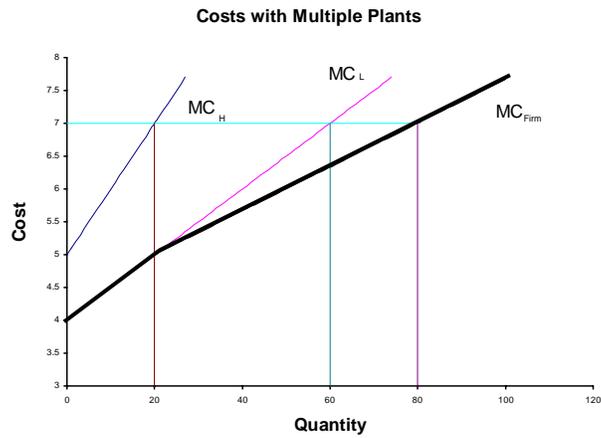


- Max profit $\Pi = R(Q_H + Q_L) - C_H(Q_H) - C_L(Q_L)$, by
- $MC_H(Q_H) = MC_L(Q_L) = MR(Q_H + Q_L)$

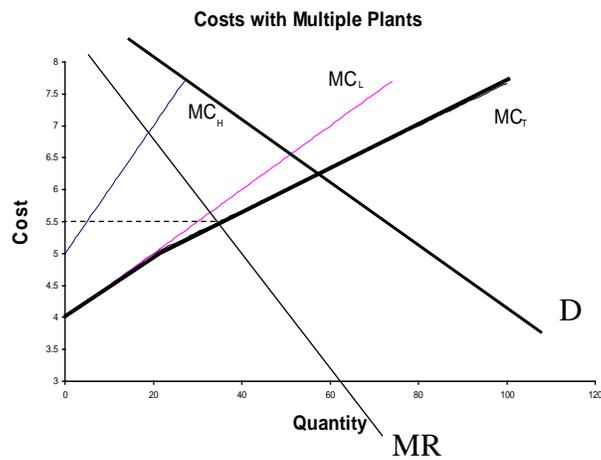
Multi-Plant Firm: Graphical Setup



Overall MC Curve is the *Horizontal* Sum of Individual Plant MC Curves



Pricing and Allocation of Production in a Multi-Plant Firm



Algebra of Constructing MC Curve

Plant “H”: $MC_H = 5 + Q/10$

Plant “L”: $MC_L = 4 + Q/20$

- Up to $Q=20$, all production is at “L” and the cost curve is equal to the single plant supply curve (since $MC_L(20) = MC_H(0) = 5$)
- Above $Q=20$, some production occurs at “H”

Algebra of Overall MC

- To sum horizontally, must solve for Q to add

$$Q_H = -50 + 10 MC$$

$$Q_L = -80 + 20 MC$$

- So for $Q_T < 20$

$$Q_T = Q_L = -80 + 20 MC \quad \text{or}$$

$$MC = 4 + Q_T/20$$

- And for $Q_T > 20$, $Q_T = Q_L + Q_H$

$$Q_T = -130 + 30 MC \quad \text{or}$$

$$MC = 13/3 + Q_T/30$$

Adjustments to Current MR and MC

- When current production has future implications, the overall profit-maximizing output is typically not given by (current period) $MC_0 = MR_0$
- Learning: Additional production Q_0 gives MR_0 *plus* lower future costs C_1 .
- Network Externalities: Additional production Q_0 gives MR_0 *plus* larger future revenue R_1 .
- Produce more and lower price. How much depends on size of learning/network effects.

Take Away Points

- Nearly any firm has some degree of market power
- $MR = MC$; $MR = MC$; $MR = MC$
(say 100 times)
- $MR = MC$ has a number of implications
 - The mark-up formula summarizes optimal pricing
 - With multiplant firms, $MR = MC_H = MC_L$