

## Discount Rates

$$PV(B_n) = B_n \cdot \frac{1}{(1+r)^n}$$

What is correct discount rate (r) to use to evaluate investment decisions?

- individual
- corporation
- government (society)

### Considerations

- 1) inflation, real vs. nominal \$  
=  $\Delta$  in prices  
Q: which prices?  $\rightarrow$  different ways of measuring of inflation  
consumer price index  
producer price index  
 $\rightarrow$  be consistent, use real \$ when possible
- 2) cost of capital
  - a. risk free – U.S. government bonds
  - b. risk premium
  - c. uncertainty in projections $r = r_{RF} + r_{RP}$ 
  - $r_{RF}$  is same for government, private
  - $r_{RP}$  is greater for private because government can be source of risk  
represents uncertainty about future projections

Private discount rate > Social discount rate  
 $\rightarrow$  faster exploitation of natural resources

$$\text{Net Present Value} = \sum_{i=1}^n \frac{B_i - C_i}{(1+r)^i}$$

Payback (period) – how long until \$ back?  
not a real measure of profitability

### IRR

- discount rate that results in present value = 0
- example: \$3000 inv. yields \$1000/year...
- timing of flows  $\checkmark$
- assumes all cash can be invested at same rate ?

### NPV

- choose discount rate ("cut-off rate")

Role of financing ("other people's money" or OPM, "leverage")

- compare projects with equal (or no) leverage

**Example**

		<u>@ 10% discount rate</u>
	\$100m now	-100.0
2: (next yr)	\$50m payment	+45.5
3:	\$100m -> yard	-82.6
4:	\$200m payment	<u>+150.0</u>
		+12.9 @ 10%