

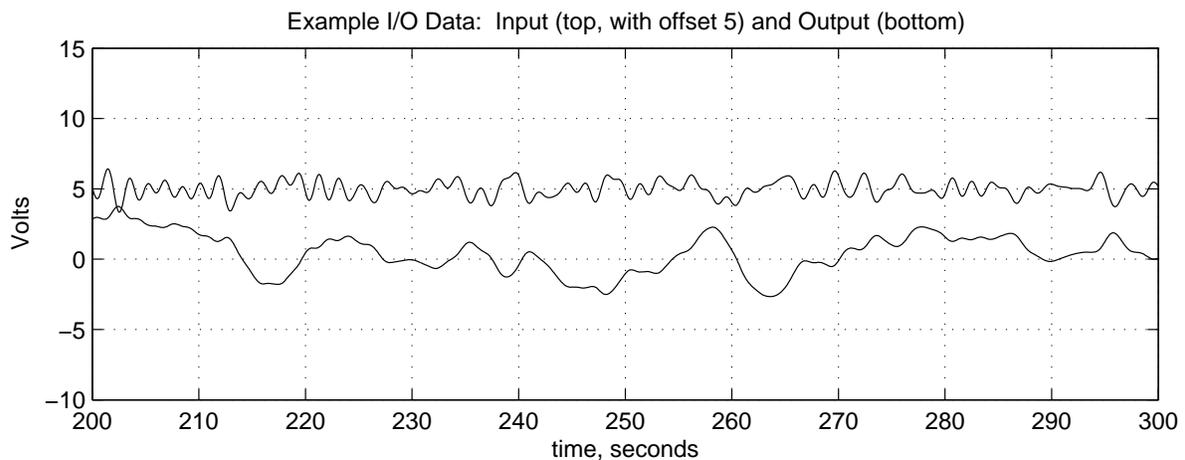
31 Identification of a Response Amplitude Operator from Data: Redux

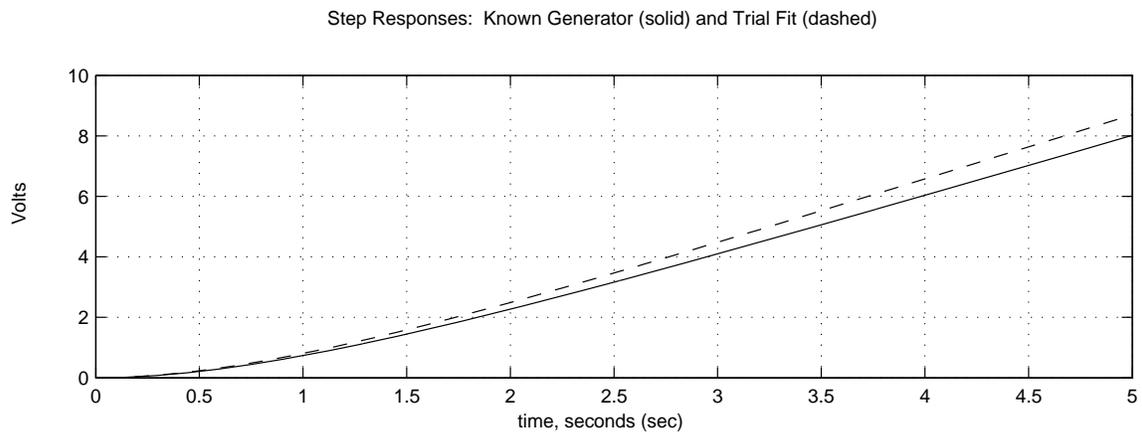
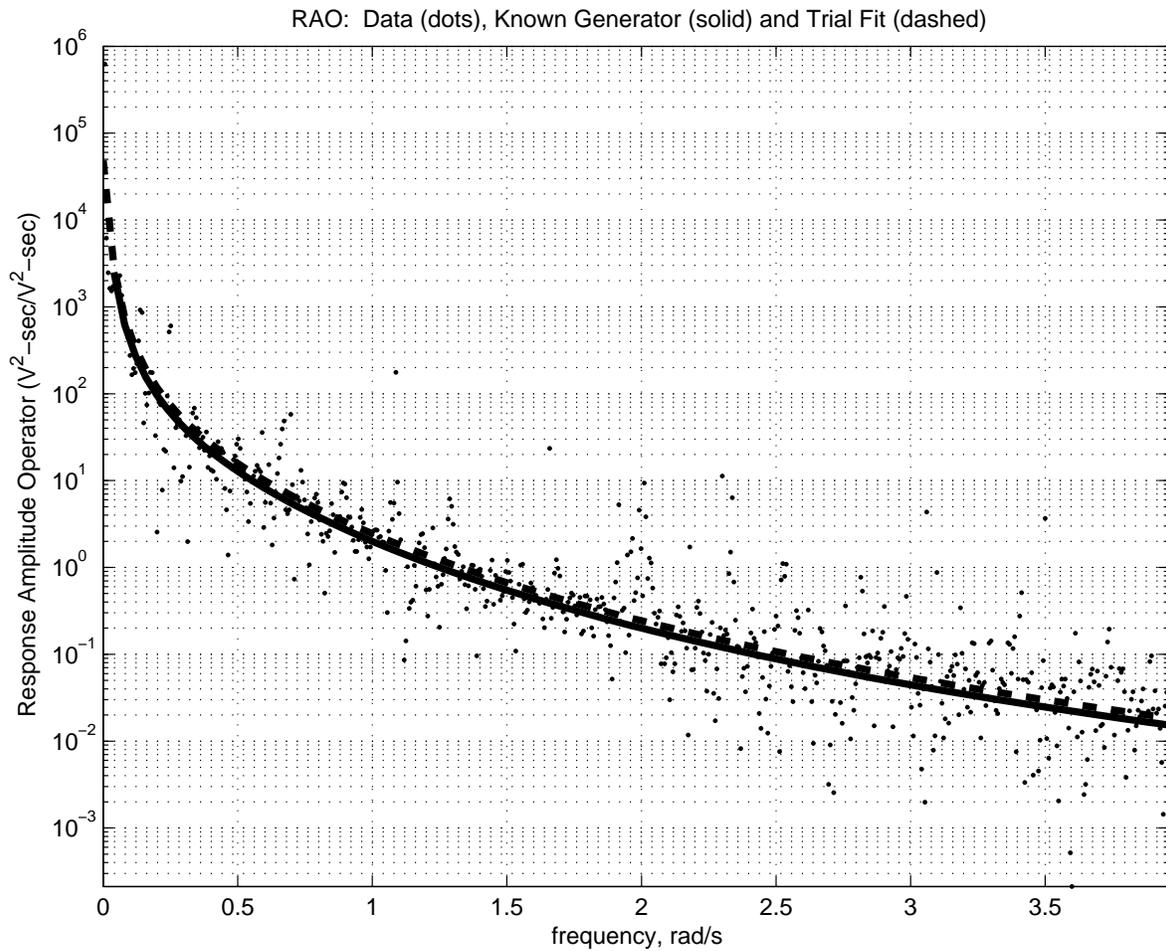
The problem here is almost exactly the same as in HW5, for which you have the full solution. The only differences are:

- Load the file `homework7.dat` from course website.
- The frequency range of interest is now up to 4rad/s , whereas before it was 2rad/s .
- The noise levels on u and y are lower.
- Just looking at the input and output time plots, you can see that the dynamical system at work here is different. However, it is still second-order, and definitely does not have a zero: $y'' + by' + cy = ku$ describes it. Your task is (again) to find the best fits for $[b, c, k]$ based on the RAO plot, list the transfer function, and show the step response.

See the attached plots, made from virtually the same code as in HW5. The generating transfer function is $G(j\omega) = 2/(-\omega^2 + j\omega)$, $[b, c, k] = [1, 0, 2]$, and the trial fit shown is $G(j\omega) = 2.2/(-\omega^2 + j\omega + 0.01)$, $[b, c, k] = [1, 0.01, 2.2]$. This is a low-pass system, in which any low-frequency input is greatly amplified. You can see this behavior directly the transfer function, where the denominator heads toward zero as $\omega \rightarrow 0$, and the transfer function gets arbitrarily large.

Note that I did not use the same data as in the file `homework7.dat`, for these solutions.





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