

**Does the first triangulation  
work for arbitrary  $n$ ?**

**Do triangulations which use a  
mix of the two fall in between  
the two in terms of what  
angles and  $n$  are possible?**

**Have you tried the same thing  
with a large  $k$ -gon?**

**Can you explain what  $C^1$   
and  $C^2$  are?**

**Could you go over the  
definition/meaning of  
semi-creases?**

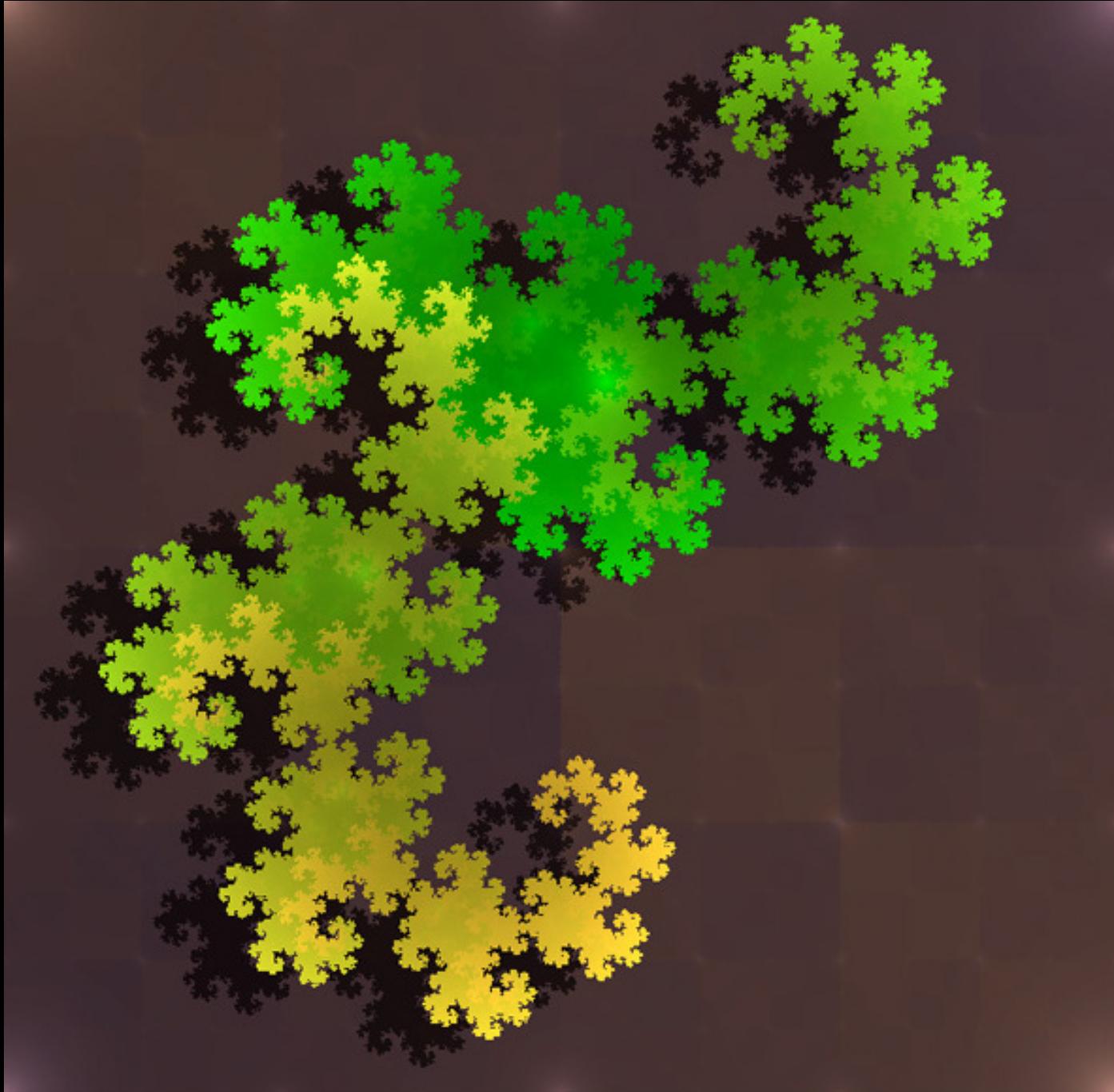
**Why does that  $n(p)$  is  
perpendicular to the boundary  
edge imply that  $n'(p)$  is?**

**You're proving things are impossible, even though we have paper examples of them existing! So my question is, what about the mathematical model is more restrictive than the real world? What choice do we make in modeling the paper that allows us to prove something is impossible in the model which is possible in real life?**

Abstract and title removed due to copyright restrictions.

Refer to: Cardinal, J., E. D. Demaine, et al. "Algorithmic Folding Complexity."  
*Graphs and Combinatorics* 27, no. 3 (2011): 341–51.

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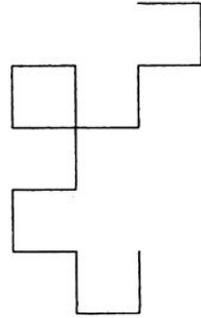


render by  
Solkoll  
2005

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1990

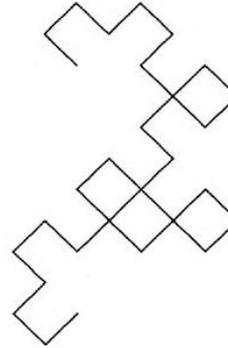
**FIRST ITERATION**



*“At the earliest drawings of the fractal curve, few clues to the underlying mathematical structure will be seen.”*

**IAN MALCOLM**

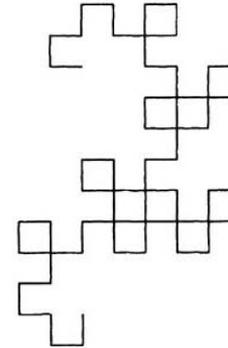
**SECOND ITERATION**



*“With subsequent drawings of the fractal curve, sudden changes may appear.”*

**IAN MALCOLM**

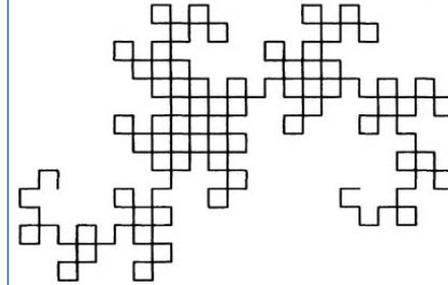
**THIRD ITERATION**



*“Details emerge more clearly as the fractal curve is re-drawn.”*

**IAN MALCOLM**

**FOURTH ITERATION**

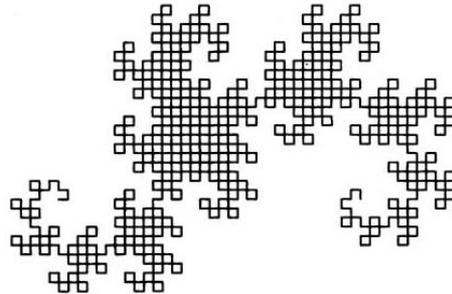


*“Inevitably, underlying instabilities begin to appear.”*

**IAN MALCOLM**

Front cover of *Jurassic Park* by Michael Crichton and photograph of Ian Malcolm removed due to copyright restrictions.

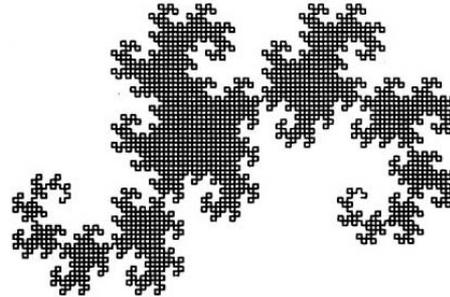
**FIFTH ITERATION**



*“Flaws in the system will now become severe.”*

**IAN MALCOLM**

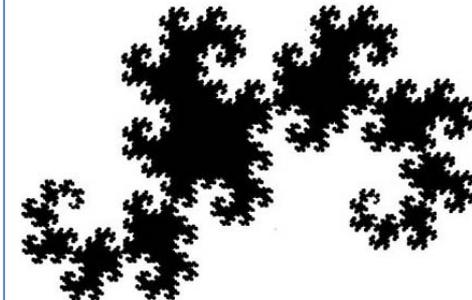
**SIXTH ITERATION**



*“System recovery may prove impossible.”*

**IAN MALCOLM**

**SEVENTH ITERATION**

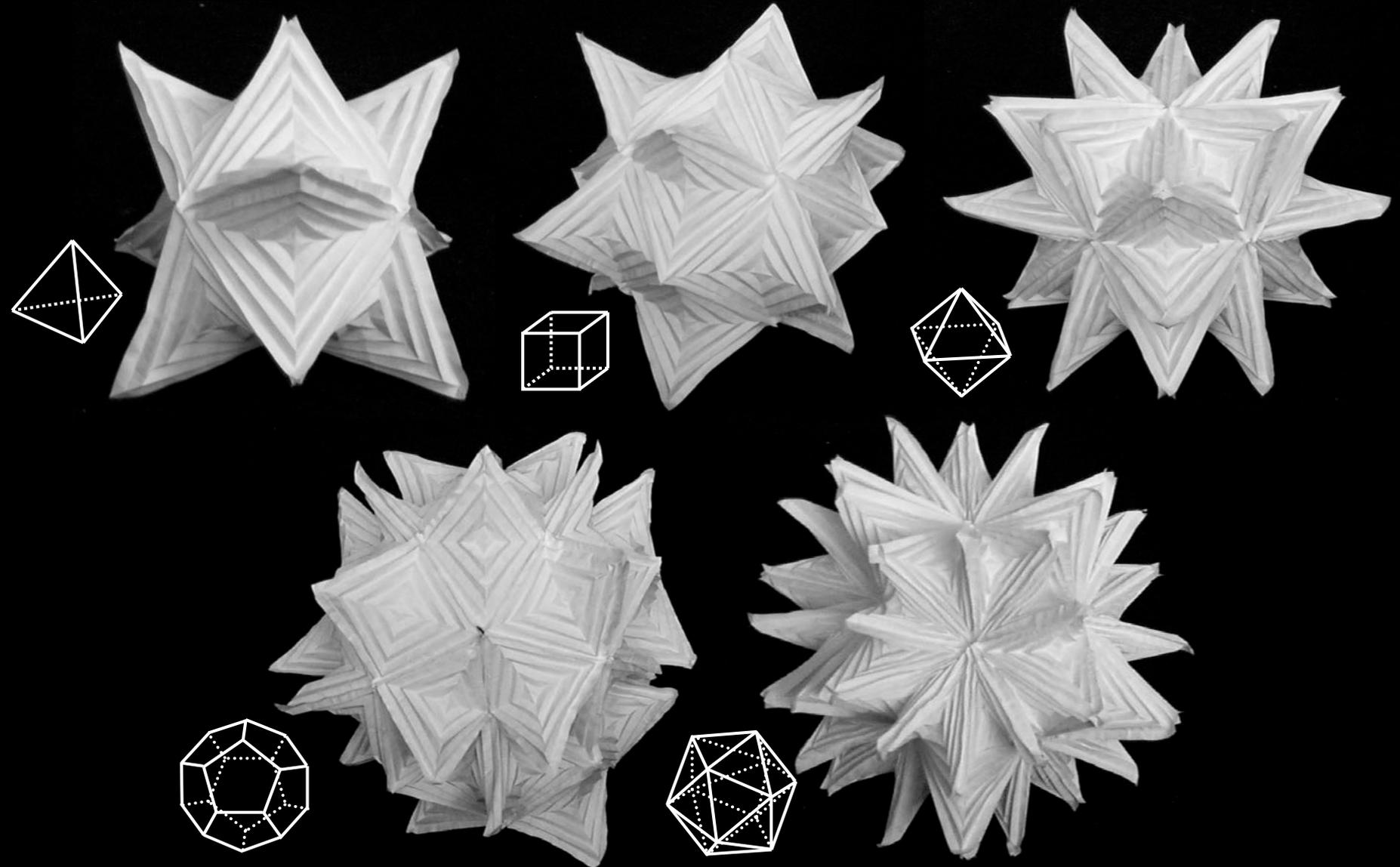


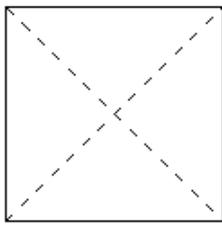
*“Increasingly, the mathematics will demand the courage to face its implications.”*

**IAN MALCOLM**

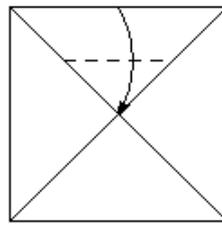
# Hyparhedra: Platonic Solids

[Demaine, Demaine, Lubiw 1999]

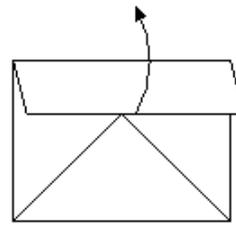




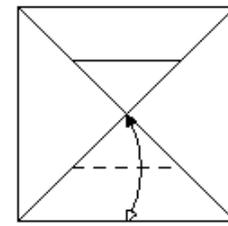
Crease the diagonals



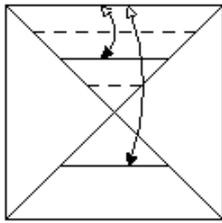
Fold the top edge to the center point, creasing only between the diagonals



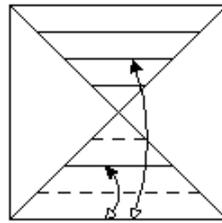
Unfold



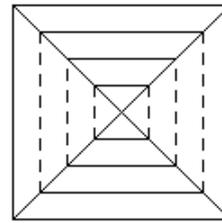
Repeat on the bottom (fold and unfold)



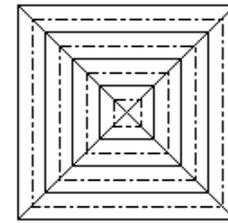
Fold and unfold on 1/4 and 3/4 marks



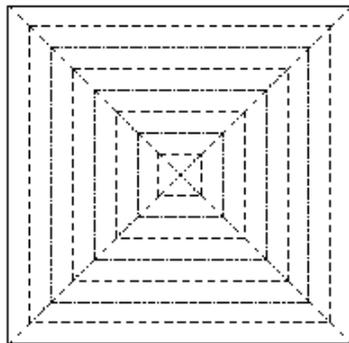
Repeat on the bottom



Repeat on left and right sides



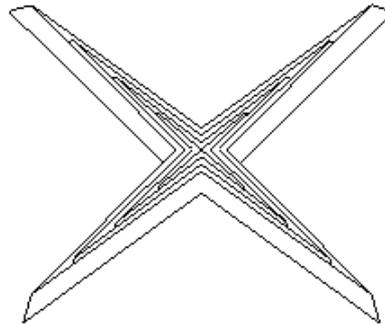
Turn over, and crease in between the squares in the opposite direction



Final crease pattern

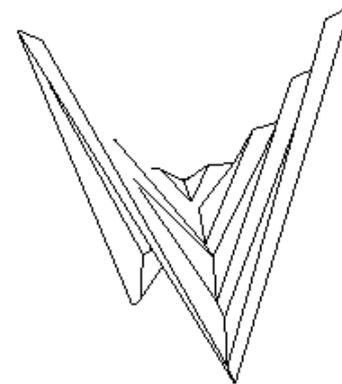
--- Valley fold

---- Mountain fold



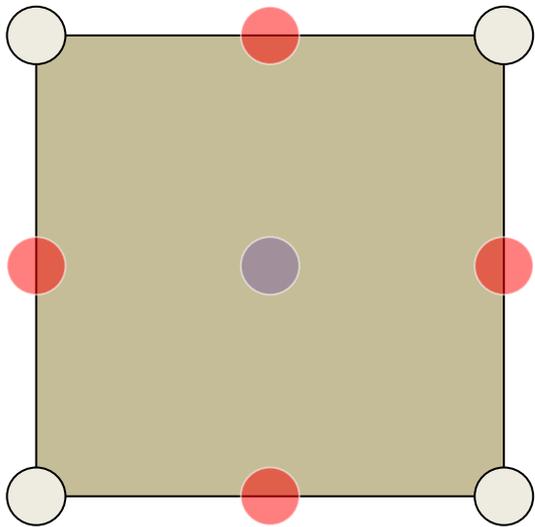
Folding the crease pattern completely forms an "X" shape

Partially opening it forms a hyper

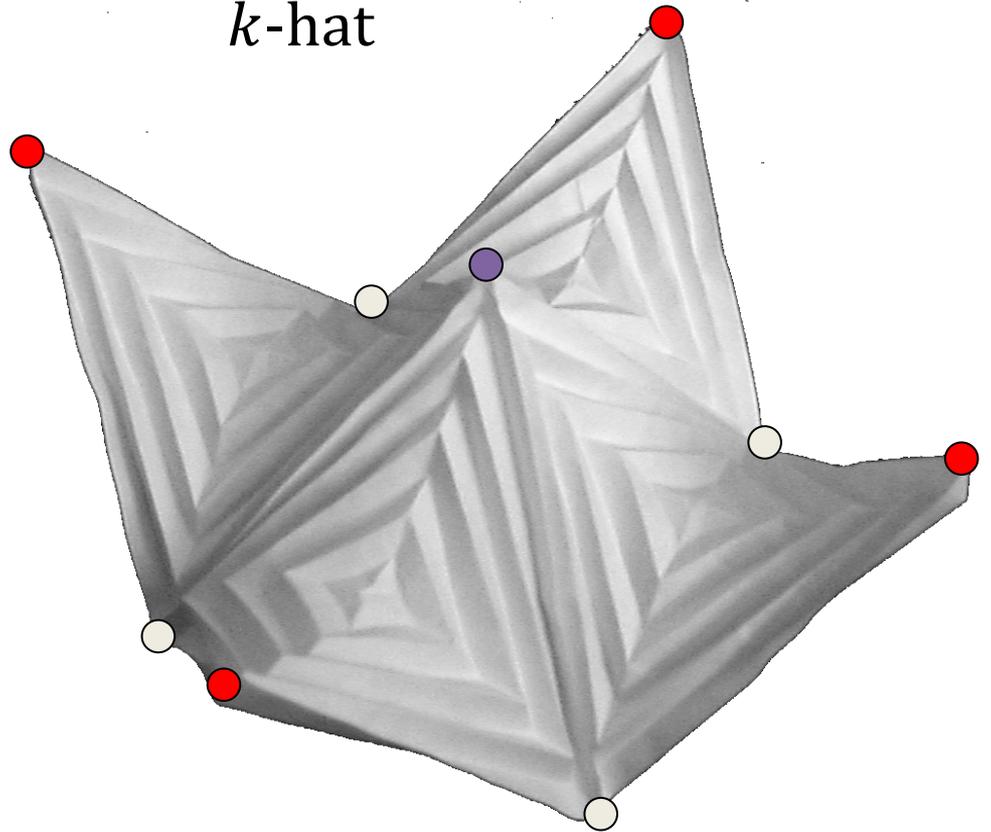


Demaine,  
Demaine,  
Lubiw  
1999

$k$ -gon



$k$ -hat



[Demaine, Demaine, Lubiw 1999]

Screen cap of animation of rotating truncated tetrahedron removed due to copyright restrictions.

MIT OpenCourseWare  
<http://ocw.mit.edu>

6.849 Geometric Folding Algorithms: Linkages, Origami, Polyhedra  
Fall 2012

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