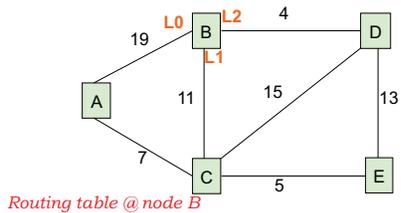


Routing Table Structure



Routing table @ node B

Destination	Link (next-hop)	Cost
A	ROUTE L1	18
B	'Self'	0
C	L1	11
D	L2	4
E	ROUTE L1	16

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Distributed Routing: A Common Plan

- Determining live neighbors
 - Common to both DV and LS protocols
 - HELLO protocol (periodic)
 - Send HELLO packet to each neighbor to let them know who's at the end of their outgoing links
 - Use received HELLO packets to build a list of neighbors containing an information tuple for each link: (timestamp, neighbor addr, link)
 - Repeat periodically. Don't hear anything for a while → link is down, so remove from neighbor list.
- Advertisement step (periodic)
 - Send some information to all neighbors
 - Used to determine connectivity & costs to reachable nodes
- Integration step
 - Compute routing table using info from advertisements
 - Dealing with stale data

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Lecture 19, Slide #6

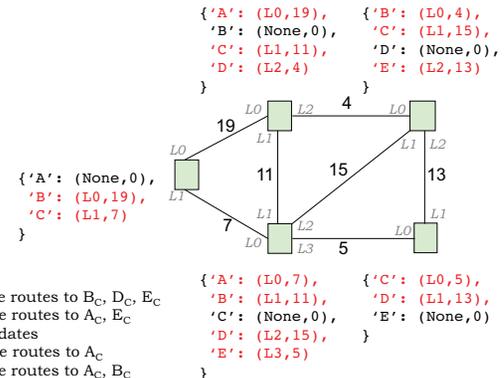
Distance-Vector Routing

- DV advertisement
 - Send info from routing table entries: (dest, cost)
 - Initially just (self,0)
- DV integration step [Bellman-Ford]
 - For each (dest,cost) entry in neighbor's advertisement
 - Account for cost to reach neighbor: (dest,my_cost)
 - my_cost = cost_in_advertisement + link_cost
 - Are we currently sending packets for dest to this neighbor?
 - See if link matches what we have in routing table
 - If so, update cost in routing table to be my_cost
 - Otherwise, is my_cost smaller than existing route?
 - If so, neighbor is offering a better deal! Use it...
 - update routing table so that packets for dest are sent to this neighbor

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DV Example: round 2



Node A: update routes to B_C, D_C, E_C
 Node B: update routes to A_C, E_C
 Node C: no updates
 Node D: update routes to A_C
 Node E: update routes to A_C, B_C

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DV Example: round 3

```

    {'A': (L1,18), {'A': (L1,22),
     'B': (None,0), 'B': (L0,4),
     'C': (L1,11), 'C': (L1,15),
     'D': (L2,4), 'D': (None,0),
     'E': (L1,16) 'E': (L2,13)
    }
  }
  {'A': (None,0), {'A': (L0,12),
   'B': (L1,18), 'B': (L0,16),
   'C': (L1,7), 'C': (L0,5),
   'D': (L1,22), 'D': (L1,13),
   'E': (L1,12) 'E': (None,0)
  }
  }
  Node A: no updates
  Node B: no updates
  Node C: no updates
  Node D: no updates
  Node E: no updates
  
```

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DV Example: Break a Link

```

{'A': (L1,18), {'A': (L1,22),
  'B': (None,0), 'B': (L0,4),
  'C': (L1,11), 'C': (L1,15),
  'D': (L2,4), 'D': (None,0),
  'E': (L1,16) 'E': (L2,13)
}
  }
  {'A': (None,0), {'A': (L0,12),
   'B': (L1,18), 'B': (L0,16),
   'C': (L1,7), 'C': (L0,5),
   'D': (L1,22), 'D': (L1,13),
   'E': (L1,12) 'E': (None,0)
  }
  }
  When link breaks: eliminate routes
  that use that link.
  
```

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DV Example: round 4

```

    {'A': (None,∞), {'A': (L1,22),
     'B': (None,0), 'B': (L0,4),
     'C': (None,∞), 'C': (L1,15),
     'D': (L2,4), 'D': (None,0),
     'E': (None,∞) 'E': (L2,13)
    }
  }
  {'A': (None,0), {'A': (L0,12),
   'B': (L1,18), 'B': (L0,16),
   'C': (L1,7), 'C': (L0,5),
   'D': (L1,22), 'D': (L1,13),
   'E': (L1,12) 'E': (None,0)
  }
  }
  Node A: update cost to BC
  Node B: update routes to AA, CD, ED
  Node C: update routes to BD
  Node D: no updates
  Node E: update routes to BD
  
```

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DV Example: round 5

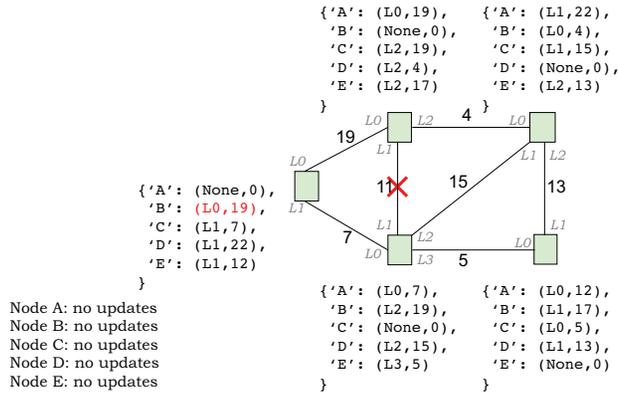
```

    {'A': (L0,19), {'A': (L1,22),
     'B': (None,0), 'B': (L0,4),
     'C': (L2,19), 'C': (L1,15),
     'D': (L2,4), 'D': (None,0),
     'E': (L2,17) 'E': (L2,13)
    }
  }
  Update cost
  {'A': (None,0), {'A': (L0,12),
   'B': (L1,∞), 'B': (L0,16),
   'C': (L1,7), 'C': (L0,5),
   'D': (L1,22), 'D': (L1,13),
   'E': (L1,12) 'E': (None,0)
  }
  }
  Node A: update route to BB
  Node B: no updates
  Node C: no updates
  Node D: no updates
  Node E: no updates
  
```

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DV Example: final state



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Correctness & Performance

- Optimal substructure property fundamental to correctness of both Bellman-Ford and Dijkstra's shortest path algorithms
 - **Suppose shortest path from X to Y goes through Z. Then, the sub-path from X to Z must be a shortest path.**
- Proof of Bellman-Ford via induction on number of walks on shortest (min-cost) paths
 - Easy when all costs > 0 and *synchronous model* (see notes)
 - Harder with distributed async model (not in 6.02)
- How long does it take for distance-vector routing protocol to *converge*?
 - Time proportional to largest number of hops considering all the min-cost paths

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Link-State Routing

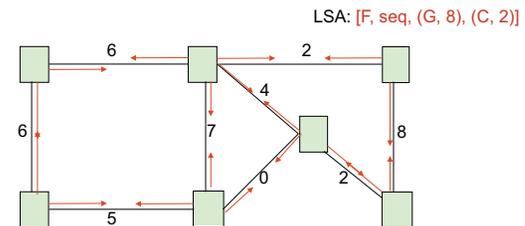
- Advertisement step
 - Send information about its **links** to its neighbors (aka **link state advertisement** or LSA):


```
[seq#, [(nbhr1, linkcost1), (nbhr2, linkcost2), ...]]
```
 - Do it periodically (liveness, recover from lost LSAs)
- Integration
 - If seq# in incoming LSA > seq# in saved LSA for source node: update LSA for node with new seq#, neighbor list rebroadcast LSA to neighbors (→ **flooding**)
 - Remove saved LSAs if seq# is too far out-of-date
 - Result: Each node discovers current map of the network
- Build routing table
 - Periodically each node runs the same *shortest path algorithm* over its map (e.g., Dijkstra's alg)
 - If each node implements computation correctly and each node has the same map, then routing tables will be correct

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LSA Flooding



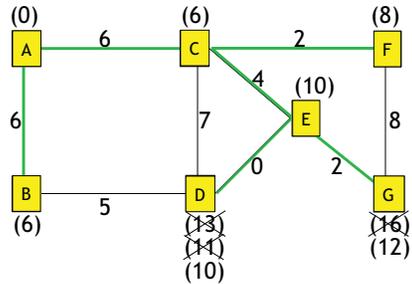
- Periodically originate LSA
- LSA travels each link in each direction
 - Don't bother with figuring out which link LSA came from
- Termination: each node rebroadcasts LSA exactly once
 - Use sequence number to determine if new, save latest seq
- Multiple opportunities for each node to hear any given LSA
 - Time required: number of links to cross network

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Integration Step: Dijkstra's Algorithm (Example)

Suppose we want to find paths from A to other nodes



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Dijkstra's Shortest Path Algorithm

- Initially
 - nodeset = {all nodes} = set of nodes we haven't processed
 - spcost = {me:0, all other nodes: ∞} # shortest path cost
 - routes = {me:--, all other nodes: ?} # routing table
- while nodeset isn't empty:
 - find u, the node in nodeset with smallest spcost
 - remove u from nodeset
 - for v in [u's neighbors]:
 - d = spcost(u) + cost(u,v) # distance to v via u
 - if d < spcost(v): # we found a shorter path!
 - spcost[v] = d
 - routes[v] = routes[u] (or if u == me, enter link from me to v)
- Complexity: N = number of nodes, L = number of links
 - Finding u (N times): linear search=O(N), using heapq=O(log N)
 - Updating spcost: O(L) since each link appears twice in neighbors

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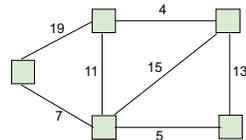
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Another Example

Finding shortest paths from A:

LSAs:

- A: [(B, 19), (C, 7)]
- B: [(A, 19), (C, 11), (D, 4)]
- C: [(A, 7), (B, 11), (D, 15), (E, 5)]
- D: [(B, 4), (C, 15), (E, 13)]
- E: [(C, 5), (D, 13)]



Step	u	Nodeset	spcost					route				
			A	B	C	D	E	A	B	C	D	E
0		[A,B,C,D,E]	0	∞	∞	∞	∞	--	?	?	?	?
1	A	[B,C,D,E]	0	19	7	∞	∞	--	L0	L1	?	?
2	C	[B,D,E]	0	18	7	22	12	--	L1	L1	L1	L1
3	E	[B,D]	0	18	7	22	12	--	L1	L1	L1	L1
4	B	[D]	0	18	7	22	12	--	L1	L1	L1	L1
5	D	[]	0	18	7	22	12	--	L1	L1	L1	L1

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