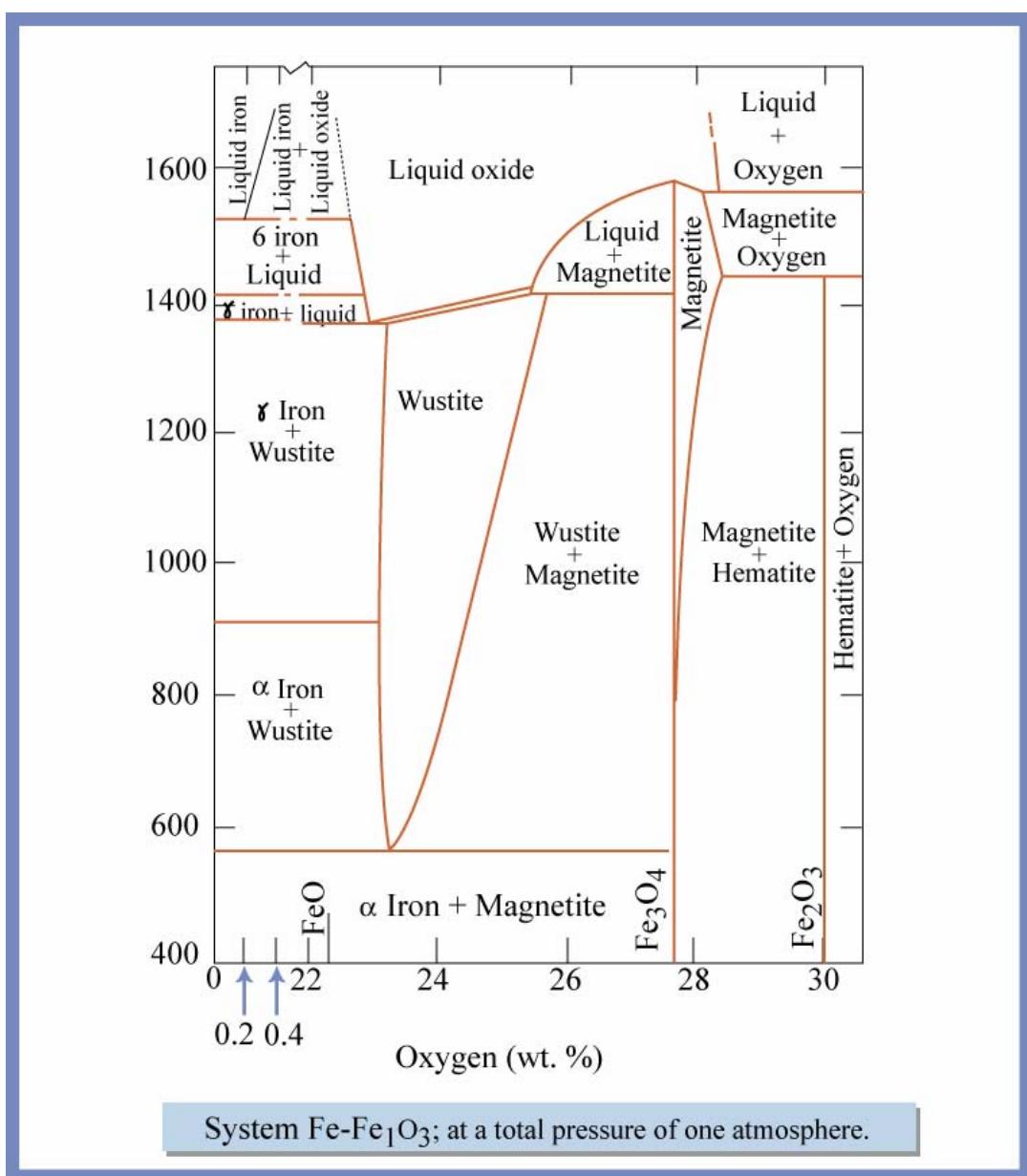
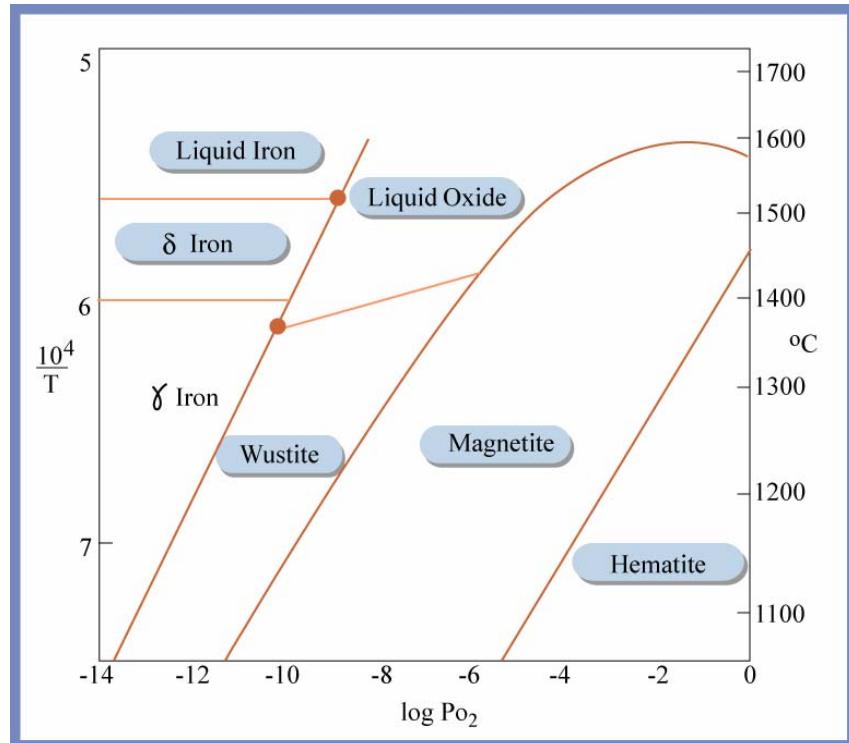


## 12.480

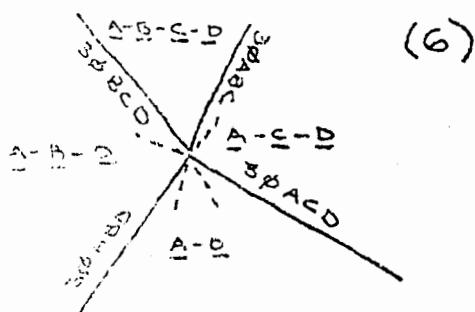
### Problem Set #2

Using the two diagrams for the system Fe-O on the next page, generate a P-T grid (expressed as  $\log p_{O_2}$  vs  $1/T$ ) for all the possible invariant points and univariant curves. Notice that the condensed equilibria in the top diagram are horizontal. This should guide you in constraining the slopes of other similar equilibria. Take the critical point between the two liquids on the T-X diagram as 1700 °C. Using the  $p_{O_2}$  vs  $1/T$  diagram as a base, fill in the rest of the equilibria besides the ones involving gas. You will want to extend the limits of  $p_{O_2}$  vs  $1/T$  in your diagram. The third page gives you a hint. There are 14 types of invariant points in this system. The tricks are to figure out these 14 equilibria. Some of them will be degenerate. The accompanying page shows the different types of degeneracies that you have to deal with. If you get stuck – there is a nice paper written in 1968 by Lindsley, Speidel and Nafziger on Fe-Si-O that should be helpful.

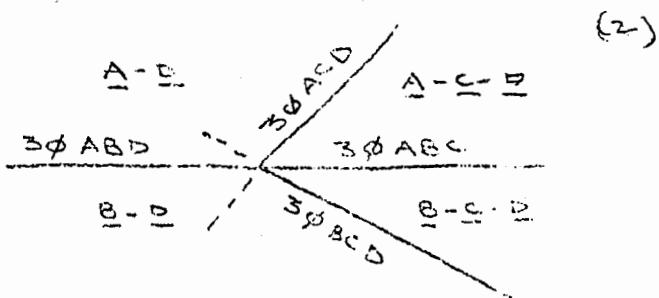


## Types of Invariant Points in the Fe-O Problem

Type I General Quadruple Point



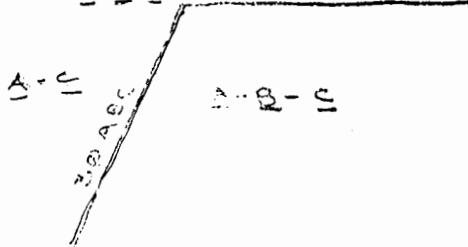
Type II Regenerate quadruple



Type III Critical End Point

$\underline{AB-C}$

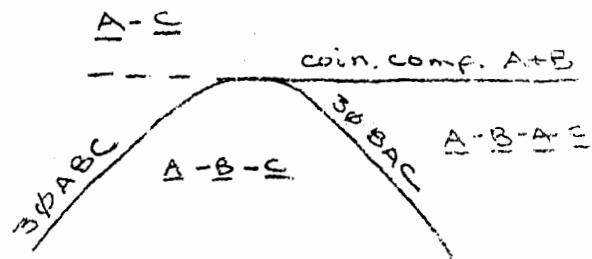
critical  $\phi_{AB}$



Type IV

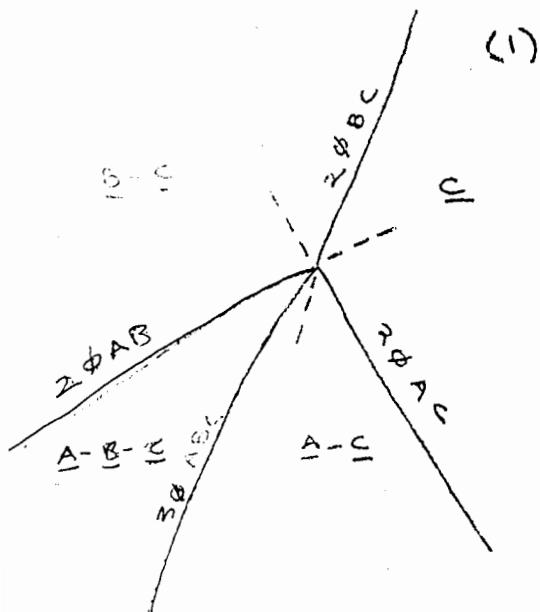
Coincidence in Composition  
Line Meets Three Phase  
Equilibrium

(2)



Type V  $3\phi$  Equilibrium

Ends in One-Component  
Subsystem; Only Phase A  
is a Pure Substance at  
all times



Type VI  $3\phi$  Equilibrium

Ends in One-Component  
Subsystem; Both Phases  
A and E are Pure  
Substances at All Times

