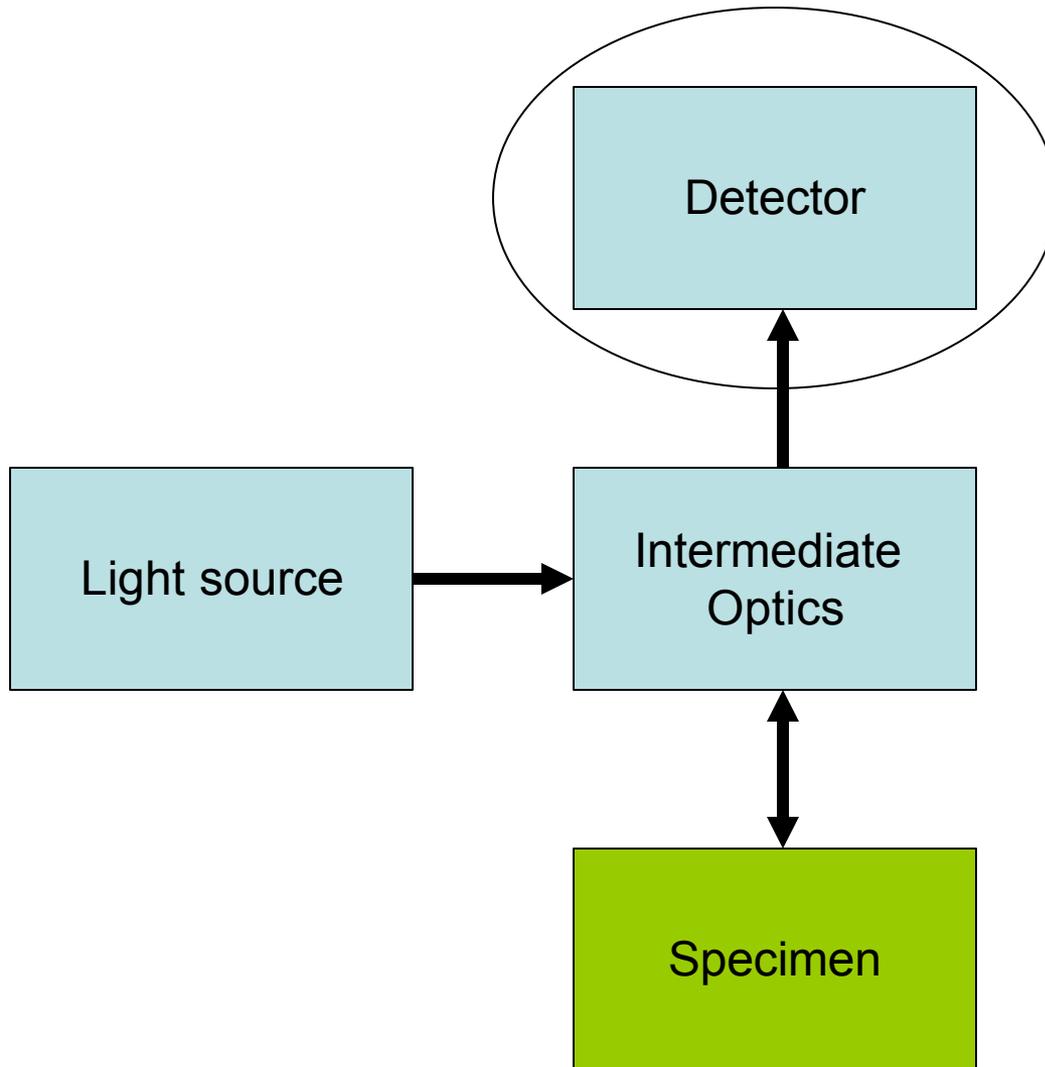


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**Optical Microscopy and Spectroscopy for Biology and Medicine**

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# A typical biomedical optics experiment



## Noise Sources of A Detector

1. Photon Shot Noise – Counting statistics of the signal photons
2. Dark Current Noise – Counting statistics of spontaneous electron generated in the device
3. Johnson Noise – Thermally induced current in the transimpedance amplifier

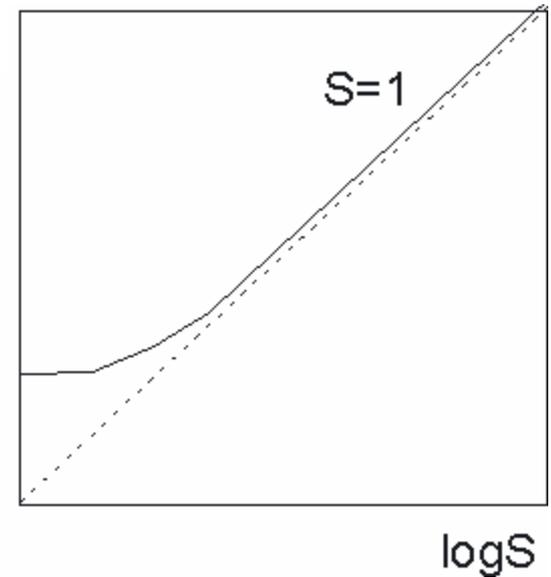
## Photon Shot Noise

Originates from the Poisson distribution of signal photons as a function of time

$$\tilde{N}_s(f, \Delta f) = 2Raq \langle I \rangle \Delta f$$

Log(S/N)

$$SNR = \frac{\langle I \rangle}{2aq\Delta f} = \frac{aq\bar{n} / \Delta t}{2aq\Delta f} = \frac{2aq\bar{n}\Delta f}{2aq\Delta f} = \bar{n}$$



## Dark Current Noise

The ideal photoelectric or photovoltaic device does not produce current (electrons) in the absence of light. However, thermal effect results in some probability of spontaneous production of free electrons. This effect is measured by the dark current amplitude of the device:  $\langle I_d \rangle$

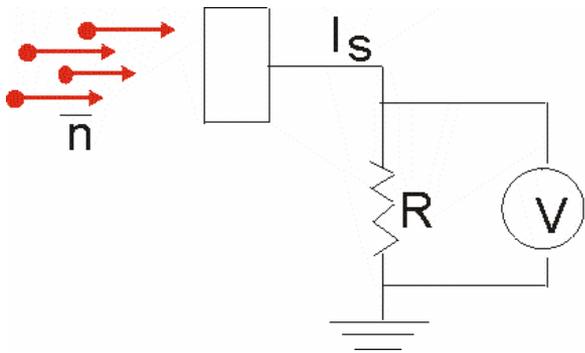
The average dark current is constant at constant temperature, but the electron generated fluctuate in time according to Poisson statistic similar to the fluctuation of the signal photons.

From our discussion of photon shot noise, we have immediately

$$\tilde{N}_d(f, \Delta f) = 2R_a q \langle I_d \rangle \Delta f$$

## Johnson Noise

Johnson noise originates from the temperature dependent fluctuation in the load resistance  $R$  of the transimpedance detection circuit.



Consider a simple dimensional analysis argument:

Thermal energy:  $kT$

Thermal power:  $kT\Delta f$

Power of Johnson noise current  $I_J$  :  $I_J^2 R$

$$I_J = \sqrt{\frac{kT\Delta f}{R}}$$

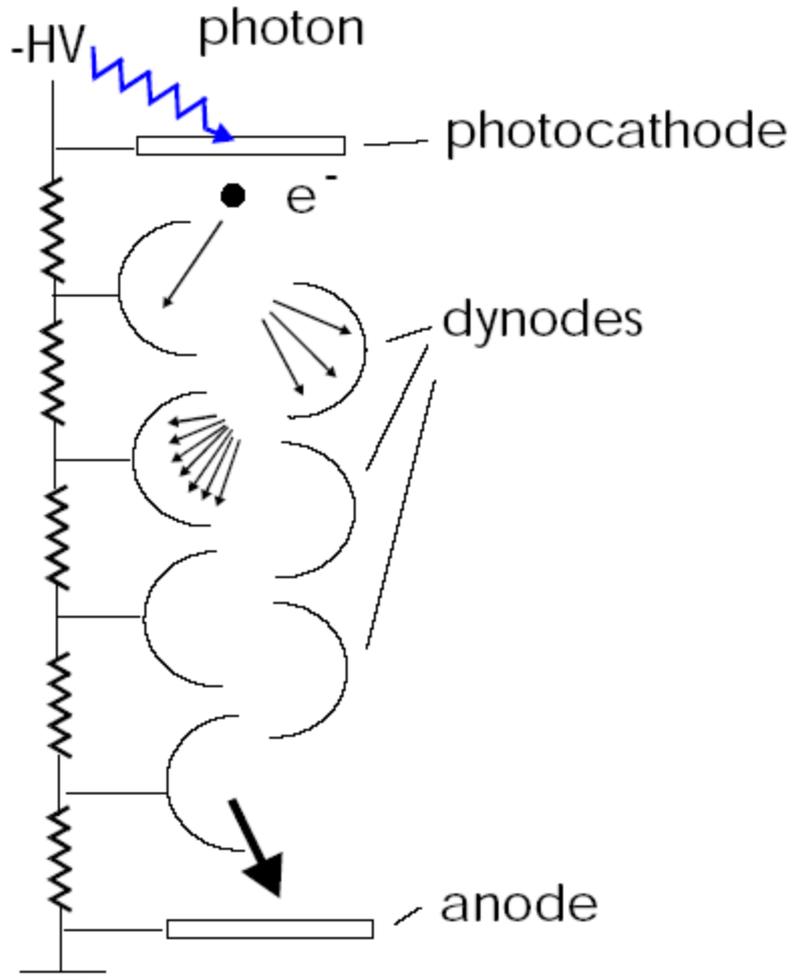
$$\tilde{N}_J(f, \Delta f) = kT\Delta f$$

## Characterizing Photodetectors

1. Quantum Efficiency: The probability of generating of a photoelectron from an incident photon
2. Internal Amplification: The amplification ratio for converting a photoelectron into an output current
3. Dynamic Range: What is the largest and the lowest signal that can be measured linearly
4. Response Speed: The time difference and spread between an incoming photon and the output current burst
5. Geometric form factor: Size and shape of the active area and the detector
6. Noise: Discussed extensively already

# Photomultiplier tube (PMT)

The PMT are characterized by two important parameters



Cathode sensitivity,  $S$  (A/W): 0.06 A/W

Gain,  $\alpha$ :  $10^7$  to  $10^8$

We can relate current measured at the anode to the number of incident photons,  $n$ , arriving within a time interval  $\Delta t$

$$I = S \cdot a \cdot E_g \cdot n / \Delta t$$

$E_g$  is photon energy

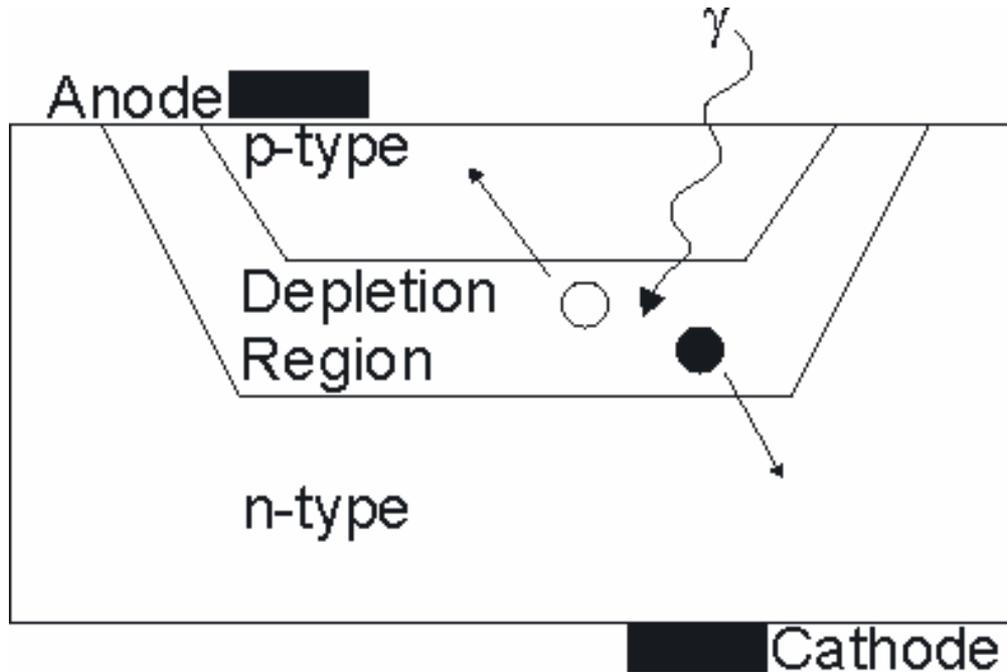
For green (500 nm wavelength) photons:

$$E_g = \frac{hc}{\lambda} = \frac{6.6 \times 10^{-34} \text{ Js} \cdot 3 \times 10^8 \text{ m/s}}{5 \times 10^{-7} \text{ m}} = 4 \times 10^{-19} \text{ J}$$

Image removed due to copyright restrictions.

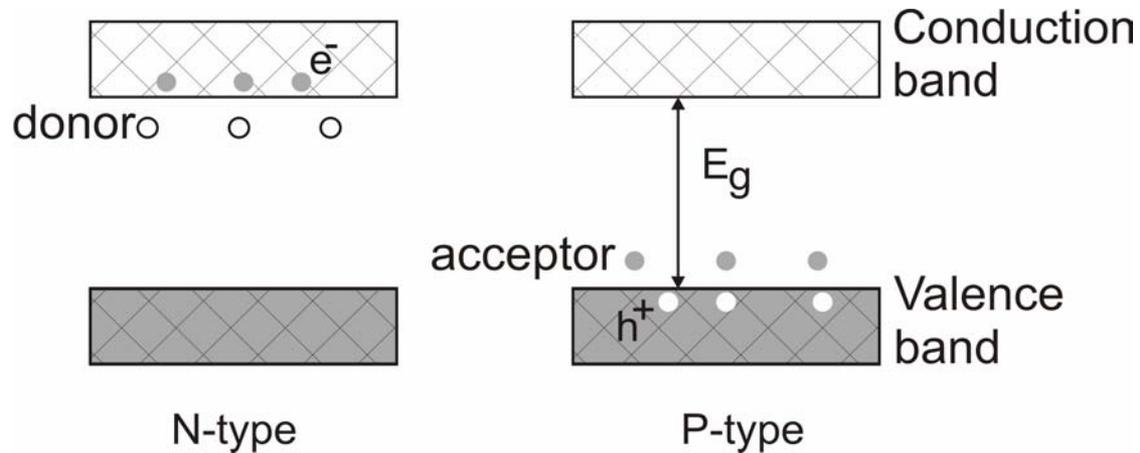
Graph of PMT Cathode Sensitivity as a function of material, from Hamamatsu Corporation.

# Photodiodes

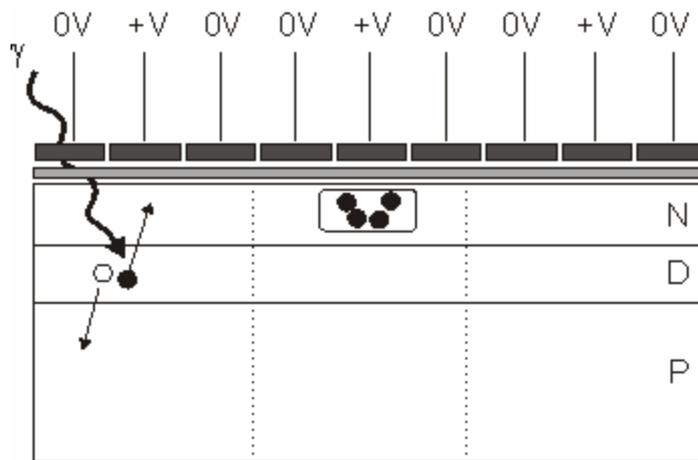


Biasing can increase device temporal Response speed

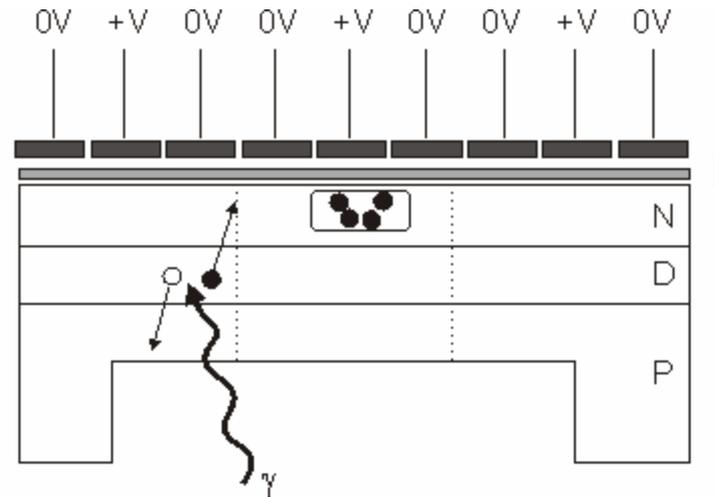
Recall:



# Charge Coupled Device (CCD) Cameras

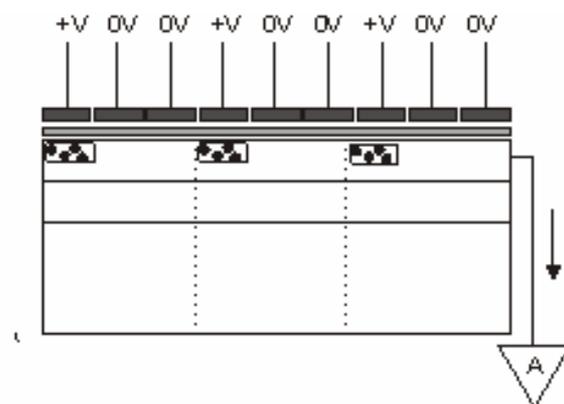
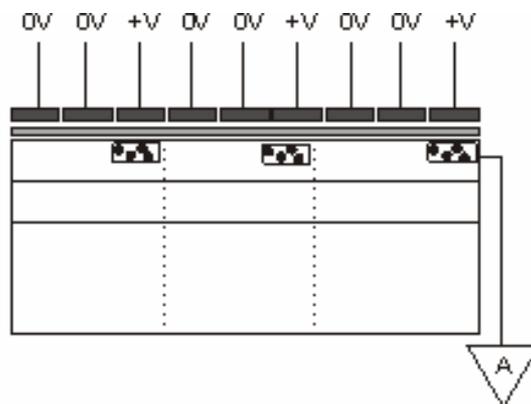
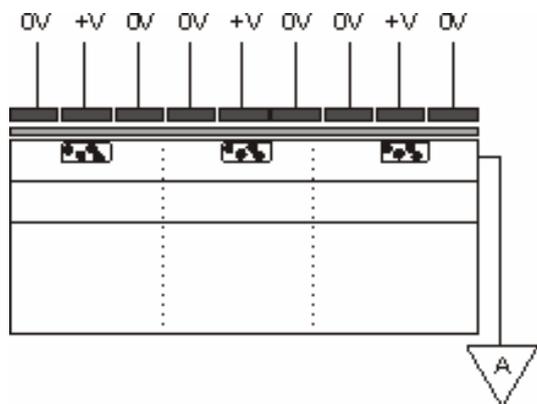


Front Illuminated



Back (thinned) Illuminated

# Readout Sequence Principle of CCD



## A Comparison of Detector Characteristics

	PMT	Photodiode	APD	CCD
QE	40%	80%	80%	80%
Spectral Range	UV-Green	Blue-NIR	Blue-NIR	Blue-NIR
Internal Gain	$10^6$ - $10^8$	1	100-1000	1
Dark Noise	e <sup>-</sup> /sec	1000 e <sup>-</sup> /sec	e <sup>-</sup> /sec	e <sup>-</sup> /sec
Electronic (Read) Noise	NA	1000 e <sup>-</sup>	NA	3-1000 e <sup>-</sup>
Response Speed	+++	+++	+	-
Pixel Size	cm	mm	mm	μm